

# CBCS Scheme

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15MT34

## Third Semester B.E. Degree Examination, Dec.2017/Jan.2018 Control Systems

Time: 3 hrs.

Max. Marks: 80

*Note: Answer any FIVE full questions, choosing one full question from each module.*

### Module-1

- 1 a. Define a control system. List merits and demerits of open-loop and closed loop control system. (05 Marks)
- b. Draw the mechanical network. Write the differential equations of performance and also draw F-V analogous electrical circuit of the system shown in Fig.Q1(b).

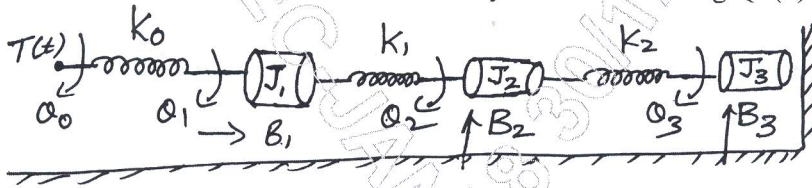


Fig.Q1(b)

(06 Marks)

- c. Illustrate how to perform the following in connection with block diagram reduction techniques:
  - i) Shifting a summing point ahead of a block and behind a block.
  - ii) Shifting a take off point after a summing point and before a summing point.
  - iii) Removing minor feedback loop.(05 Marks)

### OR

- 2 a. List the requirements of a good control system. (04 Marks)
- b. For the mechanical system shown in Fig.Q2(b). Draw the mechanical network. Write the differential equations of performance and also draw force-to-current analogous electric circuit.

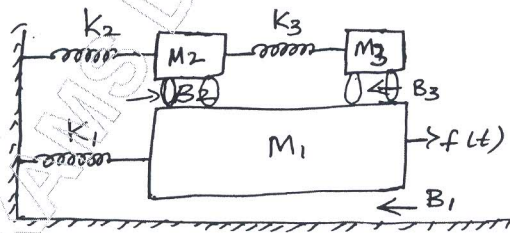


Fig.Q2(b)

(06 Marks)

- c. Find  $\frac{C(s)}{R(s)}$  of the system shown in Fig.Q2(c) using block diagram reduction method.

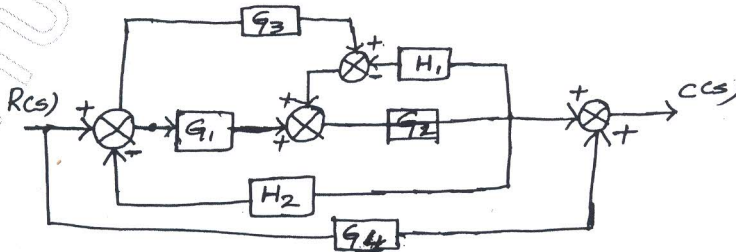


Fig.Q2(c)

(06 Marks)

Important Note : 1. On completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages.  
2. Any revealing of identification, appeal to evaluator and /or equations written eg. 42+8 = 50, will be treated as malpractice.

**Module-2**

- 3 a. The signal flow graph shown in Fig.Q3(a) determine the transfer function  $\frac{C(s)}{R(s)}$  using Mason's formula.

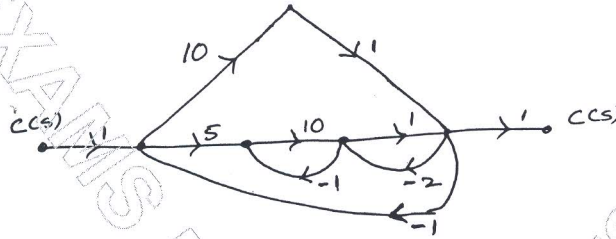


Fig.Q3(a) (06 Marks)

- b. What are the standard test signals used in time domain analysis and give their Laplace transforms? (04 Marks)
- c. For the shown in Fig.Q3(c), find the followings:
- i) System type
  - ii) Static error constants,  $K_p$ ,  $K_v$  and  $K_a$ .
  - iii) Steady state error for an input  $r(t) = 5u(t)$ .

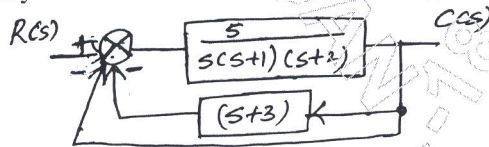


Fig.Q3(c) (06 Marks)

OR

- 4 a. For the signal flow graph shown in Fig.Q4(a), determine the transfer function using Mason's gain formula.

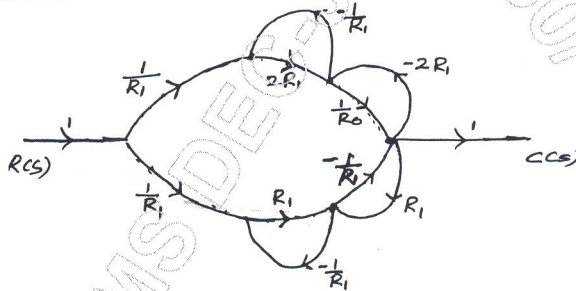


Fig.Q4(a) (08 Marks)

- b. Derive an equation for unit step response of a second order system for under-damped case. (08 Marks)

**Module-3**

- 5 a. Using Routh criteria determine the stability of the following :
- i)  $s^6 + 3s^5 + 4s^4 + 6s^3 + 5s^2 + 3s + 2 = 0$
  - ii)  $s^6 + 2s^5 + 8s^4 + 12s^3 + 20s^2 + 16s + 16 = 0$  (08 Marks)
- b. Sketch the complete root locus of system having  $G(s)H(s) = \frac{K}{s(s+1)(s+2)(s+3)}$ . Comment on stability. (08 Marks)

OR

- 6 a. State and explain Routh Hurwitz criterion of stability. (04 Marks)
- b.  $S^6 + 4s^5 + 3s^4 - 16s^2 - 64s - 48 = 0$ . Find the number of roots of this equation with positive real part, zero real part and negative real part. (04 Marks)

- c. The open loop transfer function of a control system is given by  $G(s) = \frac{K}{s(s+2)(s^2+6s+25)}$ . Sketch the complete root locus as K is varied from 0 to infinity. (08 Marks)

**Module-4**

- 7 a. List the advantages of frequency domain approach. (04 Marks)  
 b. Define the terms "gain margin" and "phase margin". Explain how these can be determined from Bode plot. (04 Marks)  
 c. Investigate the stability of a negative feedback control system whose open loop transfer function is given by  $G(s)H(s) = \frac{100}{(s+1)(s+2)(s+3)}$  using Nyquist stability criterion. (08 Marks)

**OR**

- 8 a. For a particular unity feedback system  $G(s) = \frac{242(s+5)}{s(s+1)(s^2+5s+121)}$ . Sketch the Bode plot. Find  $W_{gc}$ ,  $W_{pc}$ , GM and PM. (08 Marks)  
 b. Draw a polar plot for a negative feedback control system having an open loop transfer function  $G(s)H(s) = \frac{100}{s^2+10s+100}$ . (04 Marks)  
 c. Explain Nyquist stability criterion. (04 Marks)

**Module-5**

- 9 a. Define the following terms:  
 i) state                      ii) state variable                      iii) state vector (04 Marks)  
 b. Obtain the state model of the given electrical network shown in Fig.Q9(b).

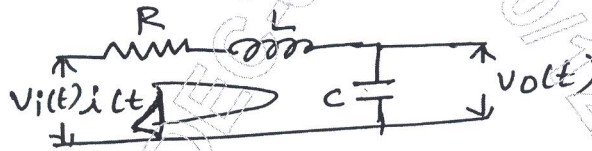


Fig.Q9(b)

- c. Obtain the solution of the homogeneous state equation  $\dot{X} = AX$  where  $A = \begin{bmatrix} 1 & -2 \\ 1 & -4 \end{bmatrix}$  and  $X[0] = \begin{bmatrix} 0.5 \\ 1 \end{bmatrix}$ . (08 Marks)

**OR**

- 10 a. Construct the state model using phase variables if the system is described by the differential equation.  

$$\frac{d^3 y(t)}{dt^3} + 4 \frac{d^2 y(t)}{dt^2} + 7 \frac{dy(t)}{dt} + 2y(t) = 5u(t)$$
 and draw the state diagram. (06 Marks)  
 b. List the properties of state transition matrix. (04 Marks)  
 c. Find the state transition matrix for  $A = \begin{bmatrix} 0 & -1 \\ +2 & -3 \end{bmatrix}$  using Laplace transform method. (06 Marks)

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